

# The trouble with Hubble

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VIA Lecture, Virtual Institute of Astroparticle Physics

17 July 2020



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## Main take-home messages

- $H_0$  tension is **not** just a matter of CMB vs Riess *et al.* value...
- ...but of inverse distance ladder vs *several* low- $z$   $H_0$  measurements
- Solution could be early Universe new physics lowering sound horizon...
- ...but other solutions (including late-time ones) are not excluded yet!
- $H_0$  tension is **very hard** to solve, we do not yet have a solution



THE

**TAKE-HOME MESSAGE**

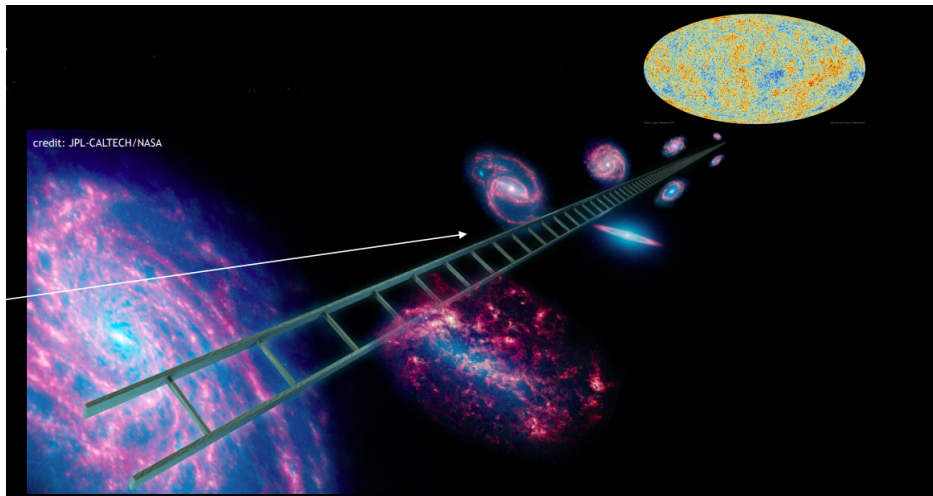
## The Hubble constant

$H_0$ : current rate of expansion of the Universe

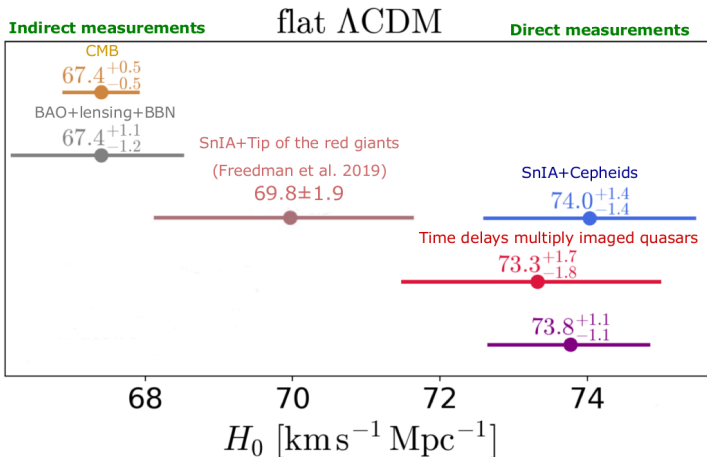
### *Why care about $H_0$ ?*

- Allan Sandage, 1970: *“Cosmology can be described as the search for two numbers: the current rate of expansion [ $H_0$ ] and the deceleration of the expansion [ $q_0$ ]”*
- Adam Riess, 2019: *“ $H_0$  is the ultimate end-to-end test for  $\Lambda$ CDM”*

# $H_0$ as an end-to-end test

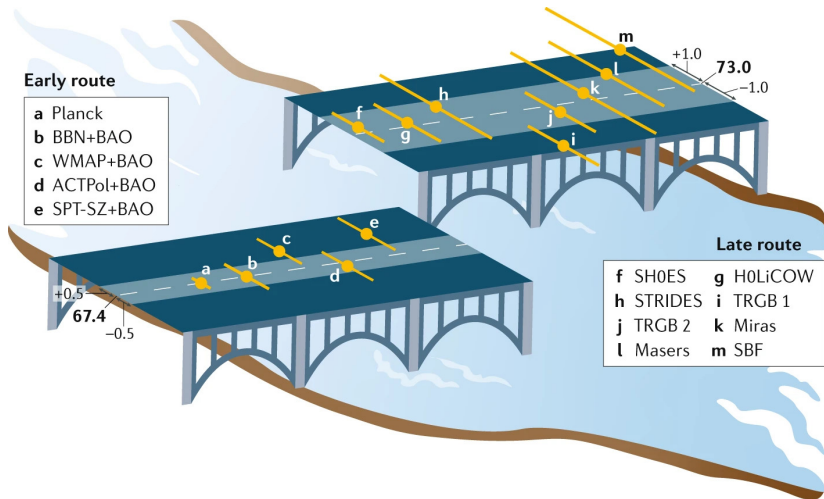


# The trouble



Adapted from Wong et al., arXiv:1907.04869 (to appear in MNRAS), and Silvia Galli

# The trouble



## How to measure $H_0$ ?

Always a good idea in cosmology:

measure distances to measure the expansion rate

Luminosity distance:

$$d_L(z) = (1+z) \frac{1}{H_0 \sqrt{\Omega_K}} \sinh \left[ H_0 \sqrt{\Omega_K} \int_0^z \frac{dz'}{H(z')} \right]$$

Angular diameter distance (more of interest to us):

$$d_A(z) = \frac{1}{1+z} \frac{1}{H_0 \sqrt{\Omega_K}} \sinh \left[ H_0 \sqrt{\Omega_K} \int_0^z \frac{dz'}{H(z')} \right]$$

## Standard candles and standard rulers

In practice “infer distances” = “measure fluxes or angles”

Fluxes:

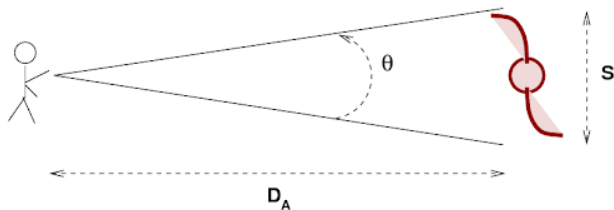
$$d_L = \sqrt{\frac{L}{4\pi f}}$$

$L$ =intrinsic luminosity

Angles (more of interest to us):

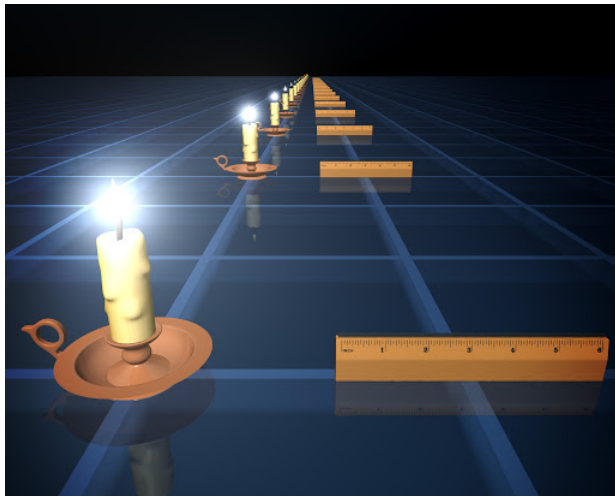
$$d_A = \frac{s}{\theta}$$

$s$ =intrinsic physical size



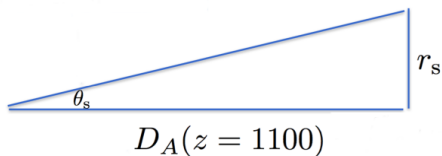
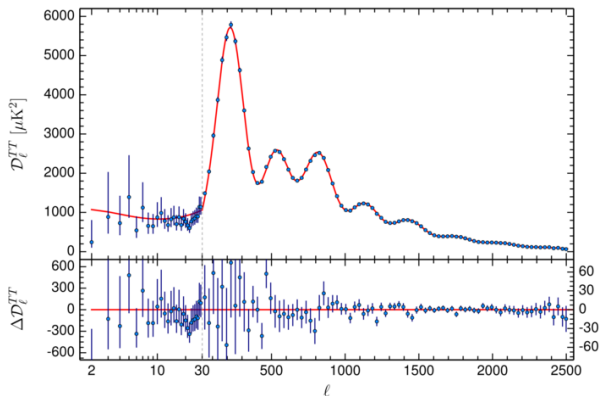


# Standard candles and standard rulers



Credits: NASA/JPL-Caltech/R. Hurt (SSC)

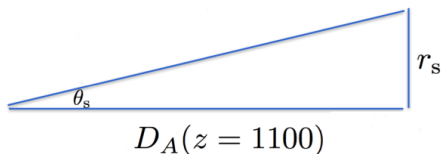
# The CMB as a (self-calibrated) standard ruler



# The CMB as a (self-calibrated) standard ruler

Steps: See e.g. Knox & Millea's *Hubble Hunter's Guide*, PRD 101 (2020) 043533

- Infer  $\omega_b$  from even/odd peak height modulation
- Infer  $\omega_m$  from “potential envelope” effect (early ISW effect)
- Calculate  $r_s^* \sim \int_{z_*}^{\infty} dz c_s(z, \omega_b) / \sqrt{\omega_m(1+z)^3 + \omega_r(1+z)^4}$
- Measure  $\theta_s \sim \pi / \Delta \ell$  from peak spacing
- With  $r_s^*$  and  $\theta_s$  known, infer  $D_A^* = r_s^* / \theta_s$
- Adjust  $\omega_\Lambda$  to match inferred  $D_A^* \sim \int_0^{z_*} dz / \sqrt{\omega_m(1+z)^3 + \omega_\Lambda}$
- Now  $H(z)$  is completely specified, so infer  $H_0$ !



## Applying the ruler

Units of  $H_0$  always implicitly  $\text{km s}^{-1} \text{Mpc}^{-1}$  from now

$$H_0 = 67.27 \pm 0.60$$

*(Planck 2018 TTTEEE+lowE)*

Last-minute news: just confirmed by ACT! [ACT collaboration, arXiv:2007.07288](#)

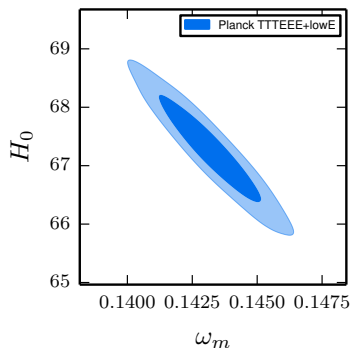
$$H_0 = 67.9 \pm 1.5$$

*(ACT DR4)*

# The geometrical degeneracy

The real world is not so simple:

$$l_{\text{peak}} \propto \omega_m^{-0.15} h^{-0.2} \implies \omega_m h^{1.3} \approx \text{const}$$

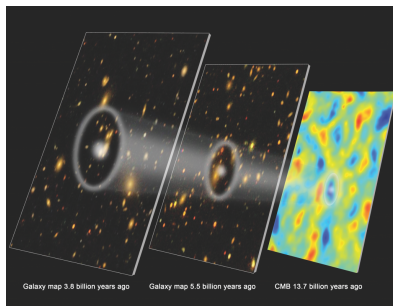


Need some other probe to break this degeneracy to get a more reliable measurement of  $H_0$  (especially in models beyond  $\Lambda$ CDM!)

# The role of BAO

Try to measure the same sound horizon feature at different redshifts:

$$\theta_{\text{BAO}} \sim \frac{r_s^*}{D_A(z_{\text{BAO}})} \propto \frac{\int_{z_*}^{\infty} dz c_s(z, \omega_b) / \sqrt{\omega_m(1+z)^3 + \omega_r(1+z)^4}}{\int_0^{z_{\text{BAO}}} dz / \sqrt{\omega_m(1+z)^3 + \omega_\Lambda}}$$



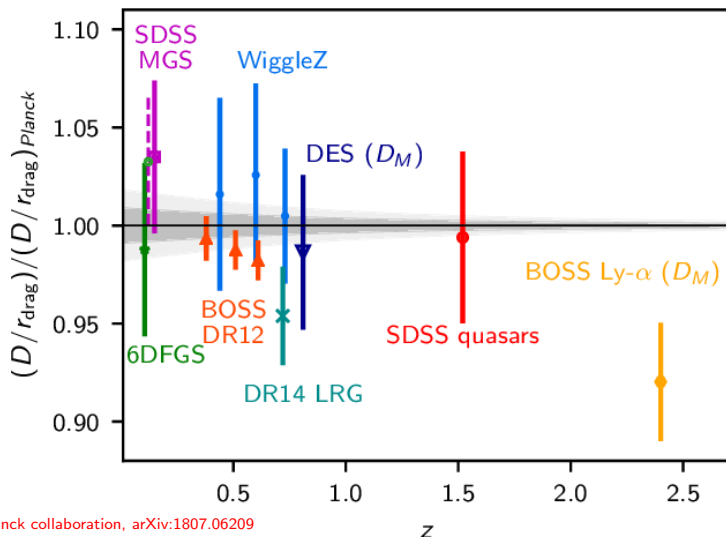
Credits: Eric Huff and the BOSS/SPT collaborations

Note: not really  $r_s^*$  but  $r_s^{\text{drag}}$ , difference irrelevant for the discussion

# The role of BAO

- BAO measures a combination of  $\Omega_m$  and  $H_0 r_s$
- Measuring BAO at different redshifts and in parallel/perpendicular directions helps break  $\omega_m$ - $H_0$  geometrical degeneracy
- BAO need to be **calibrated** either with prior on  $r_s$  (e.g. from CMB)...
- ...or equivalently on  $\omega_b$  (e.g. from CMB or BBN)...
- ...or with a prior on  $H_0$  (then you infer  $r_s$ )
- With  $r_s$  calibration can measure  $H_0$ , still in the high 60s, e.g.:
  - (Gal+Ly $\alpha$ ) BAO+BBN:  $H_0 = 67.0 \pm 1.2$  Addison *et al.*, *ApJ* 853 (2018) 119
  - Gal BAO+DES+BBN:  $H_0 = 67.4 \pm 1.1$  DES collaboration, *MNRAS* 480 (2018) 3879
  - Gal BAO+BBN+SNe+ $\theta_s$  prior:  $H_0 = 67.9 \pm 0.8$  Planck collaboration, arXiv:1807.06209
  - (Gal+Ly $\alpha$ ) BAO+BBN+voids:  $H_0 = 69.0 \pm 1.2$  Nadathur *et al.*, *PRL* 124 (2020) 221301

# Good agreement between BAO and Planck



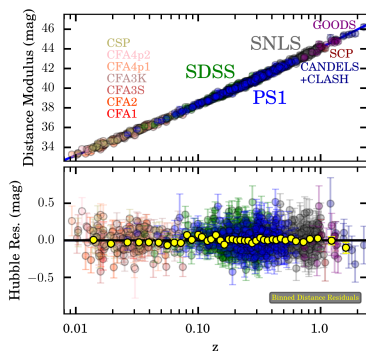
Credits: Planck collaboration, arXiv:1807.06209



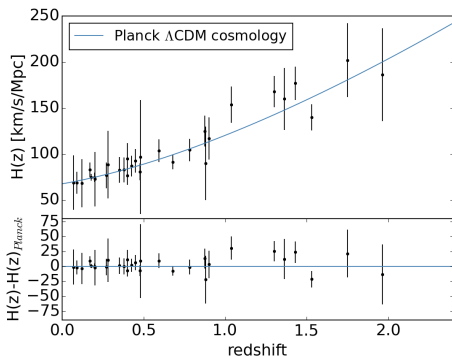
## Other late-time guard rails

Uncalibrated high- $z$  SNeIa: constrain slope of  $H(z)$

Cosmic chronometers: constrain absolute scale of  $H(z)$



Credits: Scolnic *et al.*, ApJ 859 (2018) 101



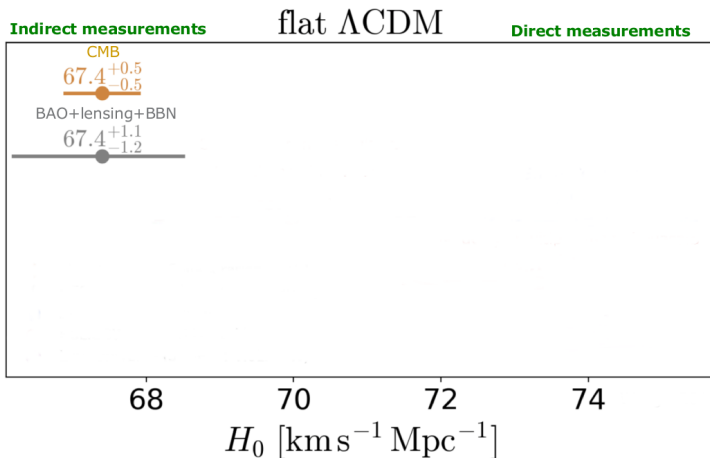
Credits: Moresco *et al.*, JCAP 1612 (2016) 039

## Combining CMB and late-time guard rails

$$H_0 = 67.72 \pm 0.40$$

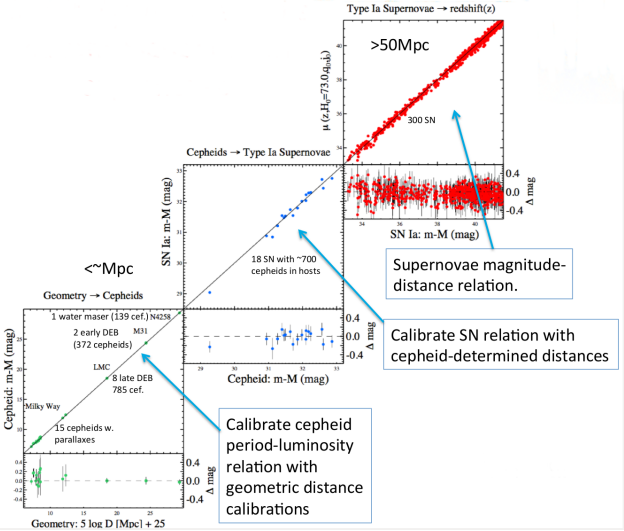
*(CMB+BAO+uncalibrated SNeIa)*

# The trouble



# Calibrating the local distance ladder with Cepheids

3-rung distance ladder *Adapted from Adam Riess and Silvia Galli*



## Calibrating the local distance ladder with Cepheids

SH0ES team: 5 distance anchors, 19 calibrator SNeIa,  $\sim 300$  SNeIa at  $z < 0.15 \rightarrow 1.9\%$  measurement of  $H_0$ ! Riess et al., ApJ 876 (2019) 85

$$H_0 = 74.03 \pm 1.42$$

*(Cepheid-calibrated SNeIa)*

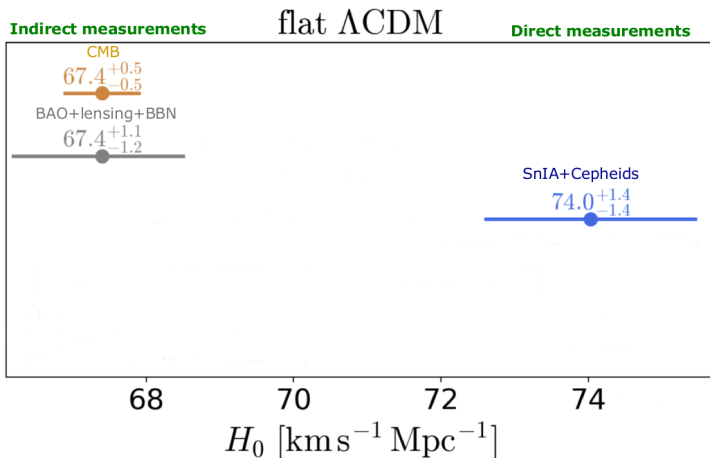
compare against

$$H_0 = 67.72 \pm 0.40$$

*(CMB+BAO+uncalibrated SNeIa)*

Almost  $5\sigma$  tension!

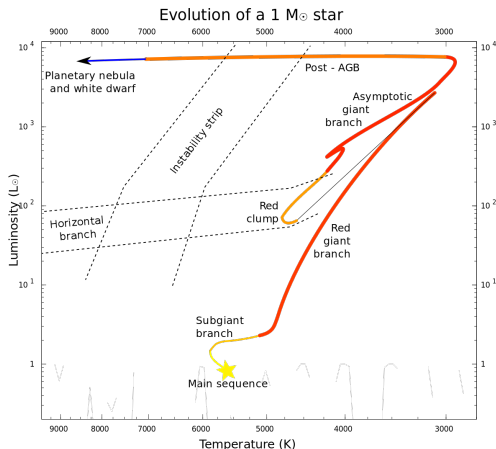
# The trouble



Adapted from Wong et al., arXiv:1907.04869 (to appear in MNRAS), and Silvia Galli

# Calibrating the local distance ladder with the TRGB

Replace second rung of distance ladder using Tip of the Red Giant Branch (TRGB) as distance indicator instead of Cepheids



## Calibrating the local distance ladder with the TRGB

Replace second rung of distance ladder using Tip of the Red Giant Branch (TRGB) as distance indicator instead of Cepheids [Freedman et al., ApJ 882 \(2019\) 34](#)

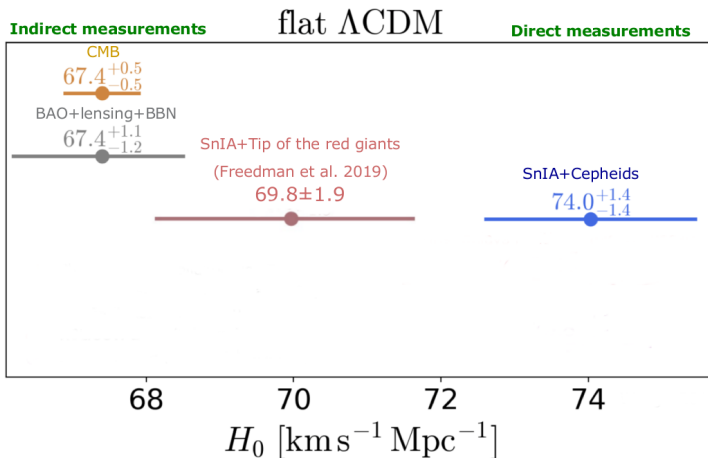
$$H_0 = 69.8 \pm 1.9$$

*(TRGB-calibrated SNeIa)*

Criticisms on overestimated extinction raised in [Yuan et al., ApJ 886 \(2019\) 61](#); addressed in [Freedman et al., ApJ 891 \(2020\) 57](#)



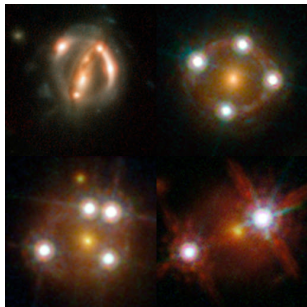
# The trouble



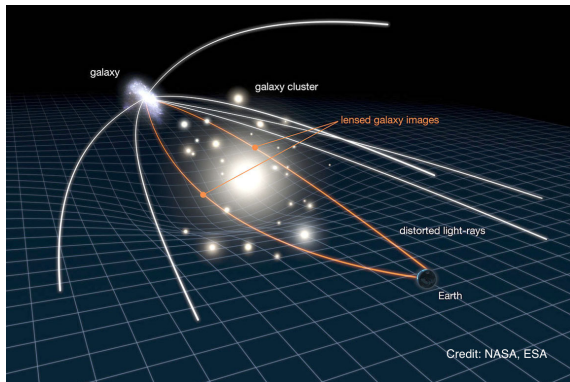
Adapted from Wong et al., arXiv:1907.04869 (to appear in MNRAS), and Silvia Galli

## Strong lensing time delays

Arrival time of each of the multiple images of quasars depends on different distances travelled, and hence  $H_0$



Credits: NASA and ESA



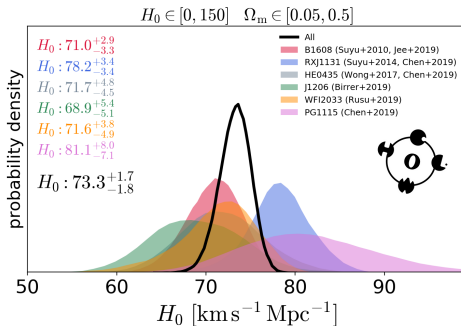
Credits: NASA and ESA

# Strong lensing time delays

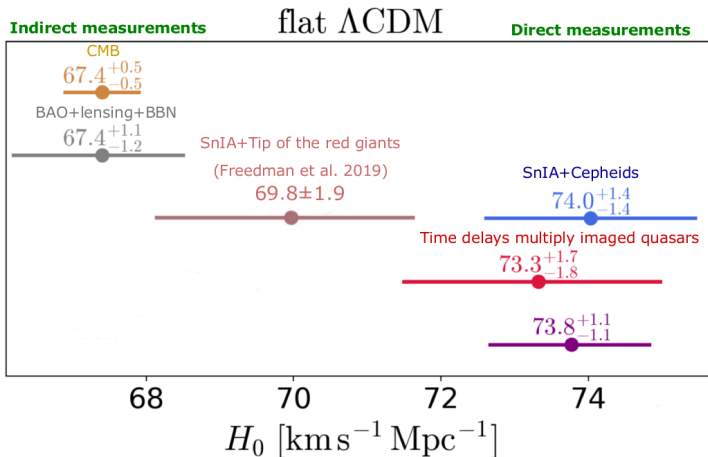
H0LICOW collaboration: Wong et al., arXiv:1907.04869 (to appear in MNRAS)

$$H_0 = 73.3^{+1.7}_{-1.8}$$

(H0LiCOW, 6 lensed quasars)



# The trouble

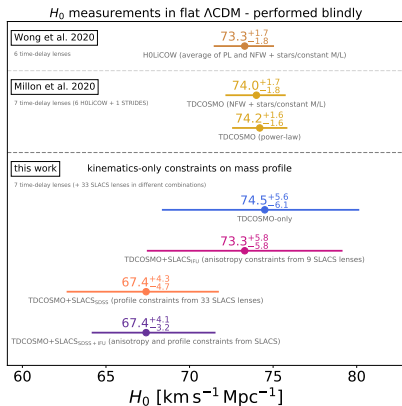


Adapted from Wong et al., arXiv:1907.04869 (to appear in MNRAS), and Silvia Galli

# Issues with H0LiCOW?

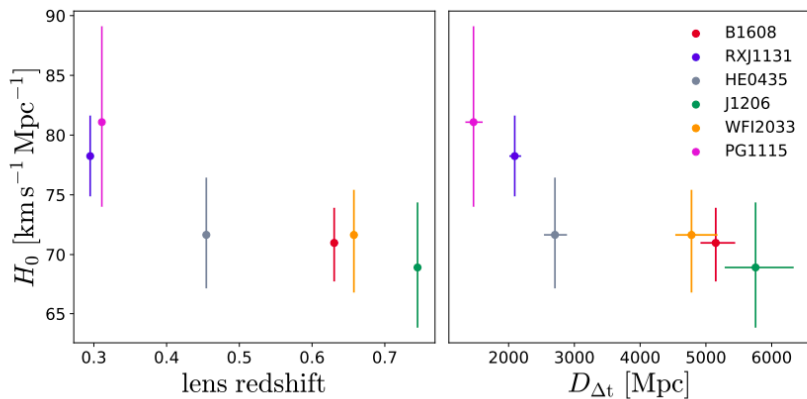
Unknown lens density profile (mass-sheet degeneracy)? Blum *et al.*, *ApJ* 892 (2020) L27

Joint H0LiCOW-SLACS analysis with a Bayesian hierarchical model:



## A curious trend

New physics or systematics? What could this mean?



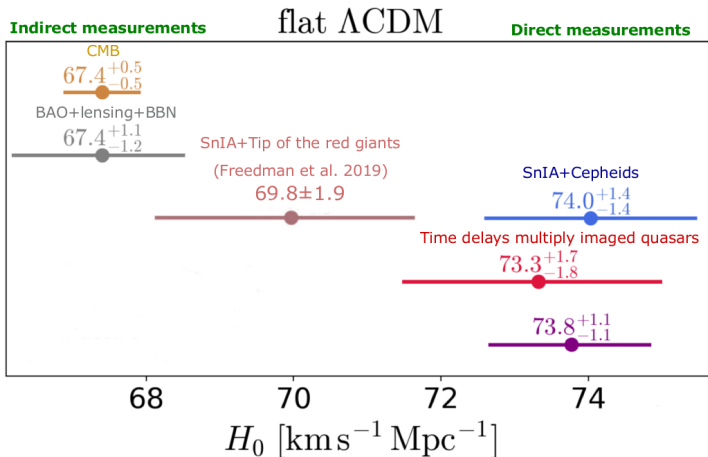
## Other late-time measurements

List most certainly not exhaustive (but all in the low 70s):

- Mira variables as SNeIa calibrators:  $H_0 \sim 73 \pm 4$  [Huang et al., ApJ 857 \(2018\) 67](#)
- Surface brightness fluctuations:  $H_0 \sim 77 \pm 4$  [Jensen et al., ApJ 550 \(2001\) 503](#)
- Water megamasers (single rung):  $H_0 \sim 73 \pm 4$  [Pesce et al., ApJ 891 \(2020\) L1](#)
- Revisiting Cepheid-calibrated SNeIa: many examples with  $H_0$  anywhere between 70 and 74 [e.g. Efstathiou, MNRAS 440 \(2014\) 1138; Cardona et al., JCAP 1703 \(2017\) 056; Zhang et al., MNRAS 471 \(2017\) 2254; Feeney et al., MNRAS 476 \(2017\) 3861; Dhawan et al., A&A 609 \(2018\) A72; Follin & Knox, MNRAS 477 \(2017\) 4534; and many others](#)
- AGN variability:  $H_0 \sim 73 \pm 6$  [Hodgson et al., MNRAS 495 \(2020\) L27](#)
- Black hole shadows:  $H_0 \sim 70 \pm 9$  [Qi & Zhang, Chin. Phys. C 44 \(2020\) 055101](#)
- ...and many other examples!

# The trouble

What can solve this?



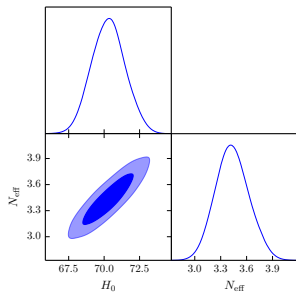


# A naïve approach: look at CMB data only

New physics such that higher  $H_0$  required to keep  $\theta_s = r_s^*/D_A^*$  fixed

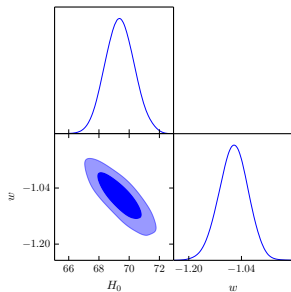
## Early-Universe new physics

Prototype: extra relativistic degrees of freedom ( $N_{\text{eff}} > 3.046$ ) raise pre-recombination expansion rate



## Late-Universe new physics

Prototype: phantom dark energy ( $w < -1$ ) raises post-recombination expansion rate



# A naïve approach: look at CMB data only

Most extensions just reduce the tension by enlarging error bars. No simple extension of  $\Lambda$ CDM where  $H_0$  is high from CMB data alone (in most cases  $H_0$  actually becomes lower)!

**Table 5.** Constraints on standard cosmological parameters from *Planck* TT,TE,EE+lowE+lensing when the base- $\Lambda$ CDM model is extended by varying additional parameters. The constraint on  $\tau$  is also stable but not shown for brevity; however, we include  $H_0$  (in  $\text{km s}^{-1}\text{Mpc}^{-1}$ ) as a derived parameter (which is very poorly constrained from *Planck* alone in the  $\Lambda$ CDM+ $w_0$  extension). Here  $\alpha_{-1}$  is a matter isocurvature amplitude parameter, following **PCP15**. All limits are 68% in this table. The results assume standard BBN except when varying  $Y_p$  independently (which requires non-standard BBN). Varying  $A_L$  is not a physical model (see Sect. 6.2).

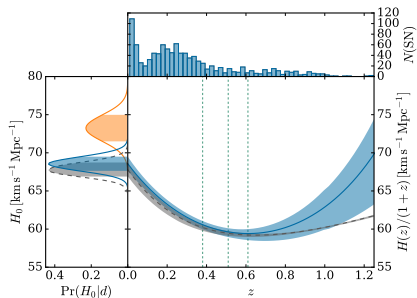
| Parameter(s)                          | $\Omega_b h^2$                  | $\Omega_c h^2$               | $100\theta_{MC}$                | $H_0$                   | $n_s$                        | $\ln(10^{10} A_s)$        |
|---------------------------------------|---------------------------------|------------------------------|---------------------------------|-------------------------|------------------------------|---------------------------|
| Base $\Lambda$ CDM                    | $0.02237 \pm 0.00015$           | $0.1200 \pm 0.0012$          | $1.04092 \pm 0.00031$           | $67.36 \pm 0.54$        | $0.9649 \pm 0.0042$          | $3.044 \pm 0.014$         |
| $r$                                   | $0.02237 \pm 0.00014$           | $0.1199 \pm 0.0012$          | $1.04092 \pm 0.00031$           | $67.40 \pm 0.54$        | $0.9659 \pm 0.0041$          | $3.044 \pm 0.014$         |
| $dn_s/d \ln k$                        | $0.02240 \pm 0.00015$           | $0.1200 \pm 0.0012$          | $1.04092 \pm 0.00031$           | $67.36 \pm 0.53$        | $0.9641 \pm 0.0044$          | $3.047 \pm 0.015$         |
| $dn_s/d \ln k, r$                     | $0.02243 \pm 0.00015$           | $0.1199 \pm 0.0012$          | $1.04093 \pm 0.00030$           | $67.44 \pm 0.54$        | $0.9647 \pm 0.0044$          | $3.049 \pm 0.015$         |
| $d^2 n_s/d \ln k^2, dn_s/d \ln k$     | $0.02237 \pm 0.00016$           | $0.1202 \pm 0.0012$          | $1.04090 \pm 0.00030$           | $67.28 \pm 0.56$        | $0.9625 \pm 0.0048$          | $3.049 \pm 0.015$         |
| $N_{\text{eff}}$                      | $0.02224 \pm 0.00022$           | $0.1179 \pm 0.0028$          | $1.04116 \pm 0.00043$           | $66.3 \pm 1.4$          | $0.9589 \pm 0.0084$          | $3.036 \pm 0.017$         |
| $N_{\text{eff}}, dn_s/d \ln k$        | $0.02216 \pm 0.00022$           | $0.1157 \pm 0.0032$          | $1.04144 \pm 0.00048$           | $65.2 \pm 1.6$          | $0.950 \pm 0.011$            | $3.034 \pm 0.017$         |
| $\Sigma m_\nu$                        | $0.02236 \pm 0.00015$           | $0.1201 \pm 0.0013$          | $1.04088 \pm 0.00032$           | $67.1^{+1.7}_{-0.67}$   | $0.9647 \pm 0.0043$          | $3.046 \pm 0.015$         |
| $\Sigma m_\nu, N_{\text{eff}}$        | $0.02221 \pm 0.00022$           | $0.1179^{+0.0027}_{-0.0010}$ | $1.04116 \pm 0.00044$           | $65.9^{+1.8}_{-1.6}$    | $0.9582 \pm 0.0086$          | $3.037 \pm 0.017$         |
| $m_{\nu, \text{sum}}, N_{\text{eff}}$ | $0.02242^{+0.00014}_{-0.00016}$ | $0.1200^{+0.0032}_{-0.0020}$ | $1.04074^{+0.00033}_{-0.00029}$ | $67.11^{+0.63}_{-0.79}$ | $0.9652^{+0.0045}_{-0.0056}$ | $3.050^{+0.014}_{-0.016}$ |
| $\alpha_{-1}$                         | $0.02238 \pm 0.00015$           | $0.1201 \pm 0.0015$          | $1.04087 \pm 0.00043$           | $67.30 \pm 0.67$        | $0.9645 \pm 0.0061$          | $3.045 \pm 0.014$         |
| $w_0$                                 | $0.02243 \pm 0.00015$           | $0.1193 \pm 0.0012$          | $1.04099 \pm 0.00031$           | ...                     | $0.9666 \pm 0.0041$          | $3.038 \pm 0.014$         |
| $\Omega_K$                            | $0.02249 \pm 0.00016$           | $0.1185 \pm 0.0015$          | $1.04107 \pm 0.00032$           | $63.6^{+2.1}_{-2.3}$    | $0.9688 \pm 0.0047$          | $3.030^{+0.017}_{-0.015}$ |
| $Y_p$                                 | $0.02230 \pm 0.00020$           | $0.1201 \pm 0.0012$          | $1.04067 \pm 0.00055$           | $67.19 \pm 0.63$        | $0.9621 \pm 0.0070$          | $3.042 \pm 0.016$         |
| $Y_p, N_{\text{eff}}$                 | $0.02224 \pm 0.00022$           | $0.1171^{+0.0042}_{-0.0049}$ | $1.0415 \pm 0.0012$             | $66.0^{+1.7}_{-1.9}$    | $0.9589 \pm 0.0085$          | $3.036 \pm 0.018$         |
| $A_L$                                 | $0.02251 \pm 0.00017$           | $0.1182 \pm 0.0015$          | $1.04110 \pm 0.00032$           | $68.16 \pm 0.70$        | $0.9696 \pm 0.0048$          | $3.029^{+0.018}_{-0.016}$ |

# Inverse distance ladder: CMB-independent inferences of $H_0$

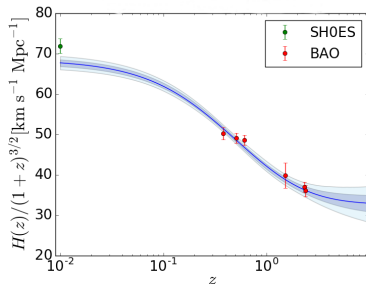
Construct an *inverse distance ladder* from BAO+uncalibrated high- $z$  SNe Ia

earlier examples in e.g. Aubourg *et al.*, PRD 92 (2015) 123516; Bernal *et al.*, JCAP 1610 (2016) 019

BAO constrain  $H_0 r_s$ : anchor  $r_s \rightarrow$  infer  $H_0$ ; anchor  $H_0 \rightarrow$  infer  $r_s$



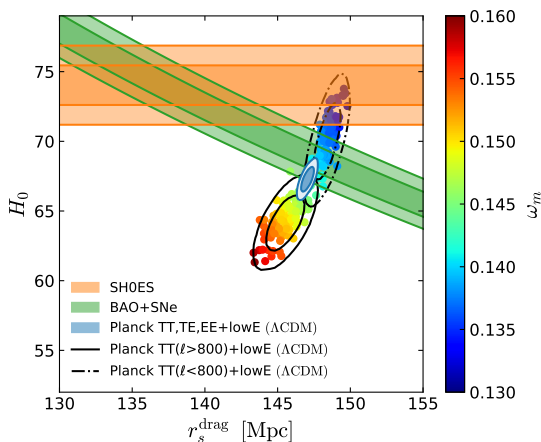
Credits: Feeney *et al.*, PRL 122 (2019) 061105



Credits: Lemos *et al.*, MNRAS 483 (2019) 4803

# The $H_0$ tension as a sound horizon tension

Instructive to look at the  $r_s$ - $H_0$  plane (remember BAO constrain  $H_0 r_s$ )

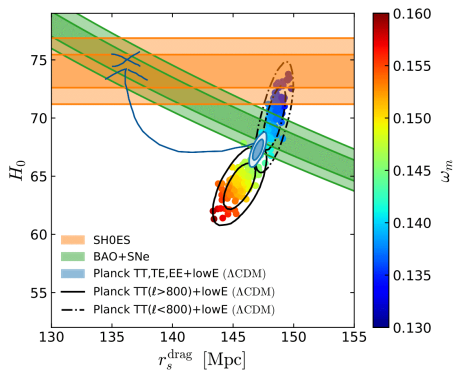


Credits: Knox & Millea's "Hubble Hunter's Guide", PRD 101 (2020) 043533

Focusing on  $H_0$  rather than  $r_s$  seems to obscure the real story?

## The $H_0$ tension as a sound horizon tension

Solving the  $H_0/r_s$  tension would seem to require lowering  $r_s$  by  $\approx 7\%$  from 147 Mpc to  $\sim 136$  Mpc



Credits: Knox & Millea's "Hubble Hunter's Guide", PRD 101 (2020) 043533

This seems to require new physics operating just before recombination!

## Solutions to the $H_0$ tension




What should a good solution to the  $H_0$  tension do?

- Raise the central value of  $H_0$  noticeably *without using SH0ES prior*
- Leave  $\theta_s$  (mostly) untouched
- Leave  $\theta_d$  (mostly) untouched
- Fit a wide range of datasets (CMB, BAO, SNeIa, LSS,...)
- Possibly explain other conundra ( $\sigma_8$  tension?  $A_{\text{lens}}$  internal tension?)
- Come from a compelling particle/gravity model
- Optional (but not so much): make verifiable predictions...
- ...which later better be verified!

# Broad classification of solutions

## The good, the bad, and the unlikely

From Knox & Millea's "*Hubble Hunter's Guide*", PRD 101 (2020) 043533

| Categories of Solution |  |  disfavored   |
|------------------------|--|--|
|                        |  |  highly disfavored  |
|                        |  |  Holicow disfavored   |
|                        | Post-recombination   | Pre-recombination  |
| High $r_s$             | <ul style="list-style-type: none"><li>1) <del>H(z) wiggles</del></li><li>2) <del>Late-Time photon interactions</del></li><li>3) <del>New physics impacting (some) Cepheids</del></li></ul> |  |
| Low $r_s$              | <ul style="list-style-type: none"><li>1) <del>Confusion sowing</del></li><li>2) <del>Post-recombination evolution of BAO feature</del></li></ul>   | <ul style="list-style-type: none"><li>1) <del>Confusion sowing</del></li><li>2) <del>Sound speed reduction</del></li><li>3) Reduction of conformal time to recombination</li></ul> |

# A promising class of solutions: early dark energy

- Scalar field behaving as a cosmological constant just before recombination, then diluting faster than matter
- Many examples in the literature, including particle models [Poulin et al., PRL 122 \(2019\) 221301](#); [Agrawal et al., arXiv:1904.01016](#); [Lin et al., PRD 100 \(2019\) 063542](#); [Niedermann & Sloth, arXiv:1910.10739](#); [Sakstein & Trodden, PRL 124 \(2020\) 161301](#); [Zumalacárregui, arXiv:2003.06396](#); and many others

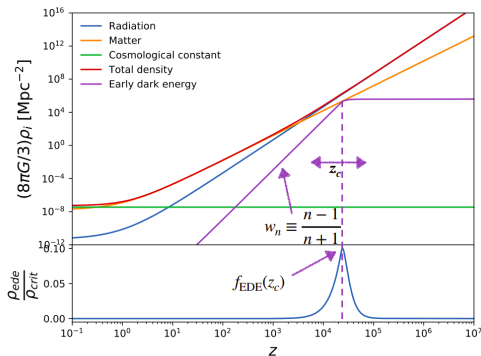
The screenshot shows a web page for a physics article. At the top, there are tabs for 'Featured in Physics' and 'Editors' suggestion'. The article title is 'Early Dark Energy can Resolve the Hubble Tension' by Vivian Poulin, Tristan L. Smith, Tarnvít Karwal, and Marc Kamionkowski, published in Phys. Rev. Lett. 122, 221301 on June 4, 2019. Below the title is a 'PhysICS' logo and a synopsis: 'Dark Energy Solution for Hubble Tension'. There are social media icons for Twitter, Facebook, and a 'More' button. A navigation bar includes 'Article', 'References', 'Citing Articles (76)', 'PDF', 'HTML', and 'Export Citation'. The main content area has an 'ABSTRACT' section with the following text: 'Early dark energy (EDE) that behaves like a cosmological constant at early times (redshifts  $z \gtrsim 3000$ ) and then dilutes away like radiation or faster at later times can solve the Hubble tension. In these models, the sound horizon at decoupling is reduced resulting in a larger value of the Hubble parameter  $H_0$  inferred from the cosmic microwave background (CMB). We consider two physical models for this EDE, one involving an oscillating scalar field and another a slowly rolling field. We perform a detailed calculation of the evolution of perturbations in these models. A Markov Chain Monte Carlo search of the parameter space for the EDE parameters, in conjunction with the standard cosmological parameters, identifies regions in which  $H_0$  inferred from Planck CMB data agrees with the SH0ES local measurement. In these cosmologies, current baryon acoustic oscillation and supernova data are described as successfully as in the cold dark matter model with a cosmological constant, while the fit to Planck data is slightly improved. Future CMB and large-scale-structure surveys will further probe this scenario.' To the right of the abstract, there is an 'Issue' section for 'Vol. 122, Iss. 22 — 7 June 2019', a 'Check for updates' button, and a 'Reuse & Permissions' button. At the bottom right, there is a 'PHYSICAL' logo.



# A promising class of solutions: early dark energy

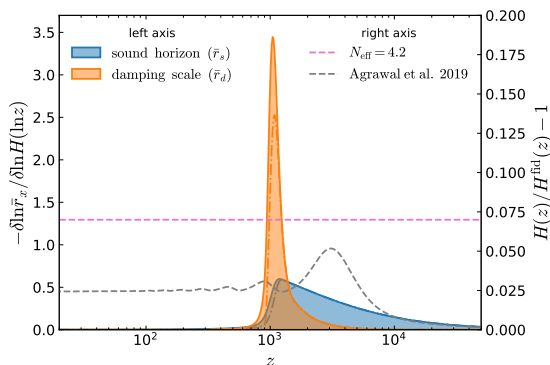
Example: scalar field initially slow-rolls (Hubble friction), then dilutes faster than matter [Poulin et al., PRD 98 \(2018\) 083525](#); [Poulin et al., PRL 122 \(2019\) 221301](#)

$$V_n(\phi) \propto (1 - \cos \phi)^n, \quad \ddot{\phi} + 3H\dot{\phi} + \frac{dV_n(\phi)}{d\phi} = 0$$



# The difficulties faced by early-time solutions

Generally anything which affects  $r_s$  affects damping scale  $r_d$  as well!



Credits: Knox & Millea's "Hubble Hunter's Guide", PRD 101 (2020) 043533

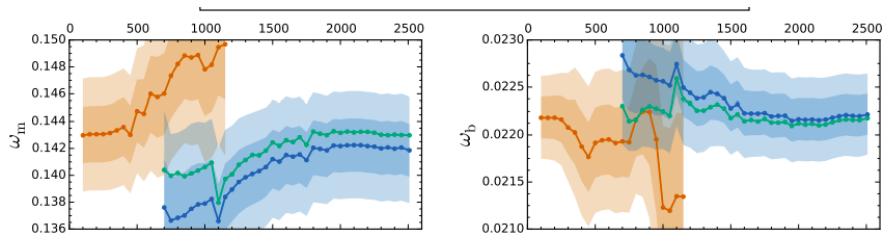
Hard to lower  $r_s$  with  $\theta_s/\theta_d$  fixed; excludes the simplest  $N_{\text{eff}}$  solution (might be saved by exotic neutrino interactions?) Kreisch et al., PRD 101 (2020) 123505

# A general feature of early-time solutions?

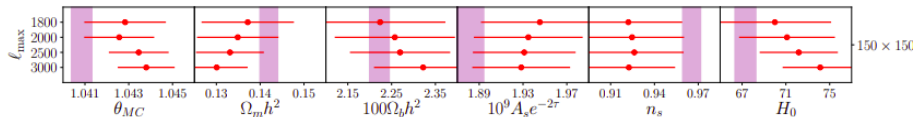
Residuals driving  $\ell$ -dependent inferences of  $\omega_m$  Knox & Millea, PRD 101 (2020) 043533

Are we already seeing hints? Relation to *Planck*  $A_{\text{lens}}$  internal tension?

See also Addison *et al.*, ApJ 818 (2016) 132



Planck collaboration, A&A 607 (2017) A95



SPT collaboration, ApJ 850 (2017) 101

# The difficulties faced by early-time solutions

Problems with early dark energy: [Hill et al., arXiv:2003.07355](#)

- At odds with LSS probes (RSD, DES weak lensing, BOSS full-shape power spectrum) due to higher value of  $\Omega_c$  required to fit *Planck* data
- Not preferred by *Planck* data alone
- Most (if not all) particle physics models extremely fine-tuned
- Inclusion of SH0ES prior in analysis is questionable
- At most brings tension down to  $\approx 2.5\sigma$  level

arXiv.org > astro-ph > arXiv:2003.07355

Astrophysics > Cosmology and Nongalactic Astrophysics

[Submitted on 28 Mar 2020 (v1), last revised 8 Apr 2020 (this version, v2)]

## Early Dark Energy Does Not Restore Cosmological Concordance

J. Colin Hill, Evan McDonough, Michael W. Toomey, Stephen Alexander

Current cosmological data exhibit a tension between inferences of the Hubble constant,  $H_0$ , derived from early and late-universe measurements. One proposed solution is to introduce a new component in the early universe, which initially acts as “early dark energy” (EDE), thus decreasing the physical size of the sound horizon imprinted in the cosmic microwave background (CMB) and increasing the inferred  $H_0$ . Previous EDE analyses have shown this model can relax the  $H_0$  tension, but the CMB-preferred value of the density fluctuation amplitude,  $\sigma_8$ , increases in EDE as compared to  $\Lambda$ CDM, increasing tension with large-scale structure (LSS) data. We show that the EDE model fit to CMB and SH0ES data yields scale-dependent changes in the matter power spectrum compared to  $\Lambda$ CDM, including 10% more power at  $k \sim 1 \text{ h/Mpc}$ . Motivated by this observation, we reanalyze the EDE scenario, considering LSS data in detail. We also update previous analyses by including *Planck*-2018 CMB likelihoods, and perform the first search for EDE in *Planck*-data alone, which yields no evidence for EDE. We consider several data set combinations involving the primary CMB, CMB lensing, SNIa, BAO, RSD, weak lensing, galaxy clustering, and local distance-ladder data (SH0ES). While the EDE component is weakly detected ( $3\sigma$ ) when including the SH0ES data and excluding most LSS data, this drops below  $2\sigma$  when further LSS data are included. Further, this result is in tension with strong constraints imposed on EDE by CMB and LSS data without SH0ES, which show no evidence for this model. We also show that physical priors on the fundamental scalar field parameters further weaken evidence for EDE. We conclude that the EDE scenario is, at best, no more likely to be concordant with all current cosmological data sets than  $\Lambda$ CDM, and appears unlikely to resolve the  $H_0$  tension.

Comments: 36 pages, 23 figures. CLASS\_EDE code publicly available at [the Higgs URL](#)

Subjects: [Cosmology and Nongalactic Astrophysics](#) [[astro-ph.CO](#)]; [General Relativity and Quantum Cosmology](#) [[gr-qc](#)]; [High Energy Physics - Phenomenology](#) [[hep-ph](#)]; [High Energy Physics - Theory](#) [[hep-th](#)]

Cite as: [arXiv:2003.07355](#) [[astro-ph.CO](#)] ([or arXiv:2003.07355v2](#) [[astro-ph.CO](#)] for this version)

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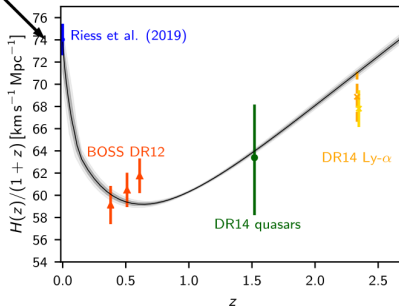
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# Late-time transitions?

Why doesn't this work?



Credits: Marius Millea

Because uncalibrated SNeIa don't allow a high enough slope, and even considering a very late ( $z \ll 0.01$ ) transition doesn't really resolve the source of the tension [Benevento et al., PRD 101 \(2020\) 103517](#)

# The difficulties in solving the Hubble tension

- Very hard to fit *all* available precision cosmological data
- Fixing problems produces new problems elsewhere (Whac-a-mole!)
- Use of SH0ES prior in many analyses is questionable
- In most cases central value of  $H_0$  remains quite low, tension relaxed mostly because of larger uncertainties
- Can at most bring tension to  $\approx 2.5 - 3\sigma$  level, where it might be considered a statistical fluctuation



## An alternative point of view?

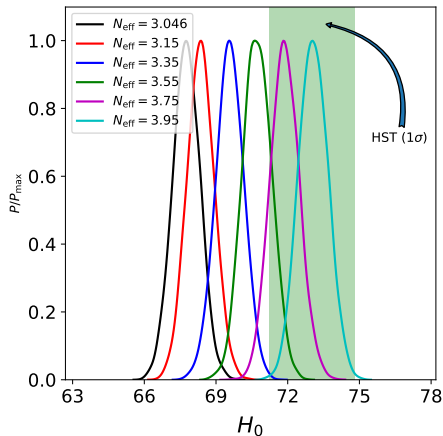
What happens if a theory is able to *fix* beyond- $\Lambda$ CDM parameters to specific non-standard values?

Example: suppose a particle physics model *predicts* a specific value for  $N_{\text{eff}}$

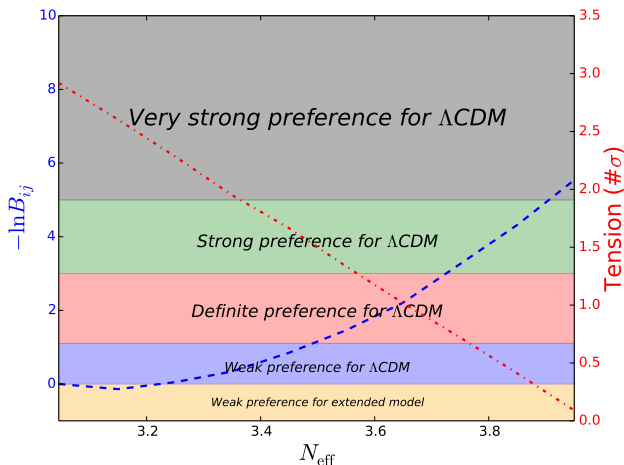
For  $H_0$  coming from  
CMB+BAO+SN<sub>Ia</sub>  
(circa 2018):

$$\Delta H_0 \approx 6.2 \Delta N_{\text{eff}}$$

Vagnozzi, PRD 102 (2020) 023518



## An alternative point of view?




Some well-motivated particle models *predict* specific values of  $N_{\text{eff}}$



# Conclusions

- **Cosmology at crossroads:  $\Lambda$ CDM failing its end-to-end test?**
- $H_0$  tension is **not** just a matter of CMB vs Riess *et al.* value...
- ...but of inverse distance ladder (CMB+BAO+uncalibrated SNIa) vs *several* low- $z$   $H_0$  measurements (including H0LiCOW)
- Solution could be early Universe new physics lowering sound horizon...
- ...but other solutions (including late-time ones) are not excluded yet!
- $H_0$  tension is **very hard** to solve, we do not yet have a solution
- **Lots of relevant data coming in the next years: the  $H_0$  tension makes this an exciting time to be working on cosmology!**

# Conclusions



Problems are not stop signs, they are guidelines.

Robert H. Schuller

quotation